

FEEDER NETWORK OPTIMIZATION

Company Background

UPS provides delivery and pickup services. After a rough sorting process at the airport hub, packages are transported back to the distribution centre (DC) for further sorting and delivery.

Objective

Achieve annual cost savings of 3%

Operational Planning: Process Flow

- Shift sorting process for 'multiples¹' from the DC to the hub
- 1. Night shift workers drive 'multiple' trucks from the DC to the hub
- 2. 'Multiple' drivers report directly to the hub and pick up respective items
- 3. 'Multiple' drivers depart from, the hub directly for delivery
- 4. Redesign of layout at the hub to accommodate sorting process for 'multiples'

¹'Multiples' refer to groups of packages which are delivered to the same address



Feasibility Check

Equipment: Shift existing equipment from the DC to the hub Operations: Manageable package flow & manpower reallocation

Improvements

By shifting the sorting of 'multiples' from the DC to the hub, double handling of packages is eliminated, which translates into 1.5 man hours savings for each driver of 'multiples' vehicle and the west 'multiples' helper daily.

Total Savings: 24 man hours per week

Total reduction in manpower cost per week will be 24 times the hourly rate for a UPS driver. Implication: Improvement in service level on top of cost savings

Additional Tool

Web application that assigns packages to drivers for more efficient routing:



Problem Statement

- Current practice of moving logistics involves double handling of packages which translates to higher costs incurred.
- Company requires a systematic framework for purchasing vehicles

Methodology

- Revise operational plan and process flow to reduce double handling of packages which will in turn reduce costs incurred
- 2. Develop a framework for vehicle purchasing, that optimizes future vehicle configuration with respect to the forecasted demand and costs.



Implication: Demand should be segmented into two groups: Mon vs Tue-Fri



Mathematical Model

Objective: Minimize total cost: manpower + vehicle	Constraint set #2: OT regulation
$\min z = \sum_{y \in Y} \sum_{t \in T} x_{t,y}^v \cdot c_{t,y}^v + \sum_{t \in T} \sum_{y \in Y} (x_{t,y}^{mo} \cdot c_y^0 + x_{t,y}^{mn} \cdot c_y^n)$	$\frac{1}{2} \left(\sum_{t \in T} x_{t,y}^{wo} \le o \cdot \left(\sum_{t \in T} x_{t,y}^{wo} + \sum_{t \in T} x_{t,y}^{wn} \right) \forall y \in Y \right)$
+ 4 $\sum_{t\in T}\sum_{y\in Y} (x_{t,y}^{wo} \cdot c_y^0 + x_{t,y}^{wn} \cdot c_y^n)$	$\sum_{t \in T} x_{t,y}^{mo} \leq o \cdot \left(\sum_{t \in T} x_{t,y}^{mo} + \sum_{t \in T} x_{t,y}^{mn} \right) \forall y \in Y$
Constraint set #1: Ensure 100% demand satisfaction	Constraint set #3: Driver-Vehicle logic
$\sum_{t \in T} x_{t,y}^{mo} \cdot d_{t,y}^o + \sum_{t \in T} x_{t,y}^{mn} \cdot d_{t,y}^n \ge i_y^m \forall y \in Y$	$\sum_{i=0}^{y} x_{t,i}^{v} \geq x_{t,y}^{wo} + x_{t,y}^{wn} \forall t \in T, y \in Y$
$\sum_{t \in T} x^{wo}_{t,y} \cdot d^o_{t,y} + \sum_{t \in T} x^{wn}_{t,y} \cdot d^n_{t,y} \geq i^w_y \forall y \in Y$	$\sum_{i=0}^{y} x_{t,i}^{\nu} \geq x_{t,y}^{mo} + x_{t,y}^{mn} \forall t \in T, y \in Y$
	Implication: Approximate cost savings: 3%

Sensitivity Analysis

We look at how does the objective function changes when the efficiency of drivers varies by a percentage. This efficiency refers to the number of items a driver can deliver in a day.



Result: A decreasing trend

Implication: The decrement in total cost may be able to justify any investment by the company to improve workers' efficiencies. An example of investment may include the installation of shelves in the delivery trucks.