## 1. Introduction

Kimberly-Clark is leading the world in essentials in a better life. It manufactures and sells health care and personal care products in more than 150 countries. Kimberly-Clark Asia Pacific, located in Singapore, is the regional production and distribution site for Huggies diapers. The site houses a few state of the art high speed manufacturing assets.

## 2. Objectives

To determine the optimal product scheduling while considering the production line utilization rate, product cycle time and inventory cost. Challenges:

1. Schedule low demand items across periods to improve utilization
2. Determination of the optimal planning horizon
3. Determination of optimal production sequence between two planning horizon

## 3. Problem Descrintion

There are three tiers of diapers; with each tier having different characteristics. Each tier consists of six sizes. Each type of Product is packed with a specific number of pieces in one package, called count number. For example,

Tier change: a hour Size change: b hour Count change: chour

PL N (T2M84)(T2M80)(T2M42) (T2L22)....(T3L66) ${ }^{(T 2 X L 84)(T 2 X L 20) \ldots . . . . ~}$

Definition:

- Stock Keeping Unit(SKU) as tier/size/count
- Product cycle time: from the moment a product is produced until the time that the same SKU is produced again.
- Low demand item: Annual demand of the SKU is less than 6 day production run.

Current production scheduling of several SKUs is manually done and purely based on planner's experience ; It is very time-consuming and optimal solution is not guaranteed. This project investigates on how to optimally schedule the production in a suitable planning horizon, as such, all the production lines will be better utilized with less change over time lost; at the same time, inventory should be kept at a relatively low level.


## 4. Methodology

## Input

- Forecasted 12 months demand
- Current Inventory level

Step 1

- High demand versus low demand categorization


## Step 2

- Schedule high demand SKUs


## Step 3

- Dynamically schedule low demand SKUs accordingly to time left

Output

- Production line scheduling
- New Inventory level


## 5. Mix Integer Programming

Objective Function: Minimize the longest production cycle among the n production lines. Variables:
$\mathrm{X}_{\mathrm{ijk}}$ : time to produce product i on line j for size k
$\boldsymbol{i}$ - type of product
$\boldsymbol{j}$ - line number
$\boldsymbol{k}$ - size of the product (1: NB, 2: S, 3: M, 4: L, 5: XL, 6: XXL)
$\mathrm{a}_{\mathrm{ijj}}$ : binary variable indicating if product i is produced on line j for size $k$
$w_{k j}$ : binary variable indicating if the size $k$ products are produced on line $j$

## Parameters:

$D_{i}$ : demand in terms of hour for product $i \quad C_{j}$ : number of size changeover for line $j$
Minimize v
$T_{j} \leq v \quad$ where $\quad T_{j}=\sum X_{i j k}+\sum a_{i j k}-1+(b-1) \times\left(\sum w_{k j}-1\right)$

## Subject to:

| Time constraint | Demand constraint | Size change indicator |
| :--- | :---: | :---: |
| $T_{j} \leq 720$ | $\sum_{j} X_{i j k}=D_{i}$ | $\sum_{i} a_{i j k} \leq C_{j} w_{k j}$ |
| $X_{i j k} \leq D_{i} \times a_{i j k}$ |  |  |

## 6. Result

Key Performance Indicators: 1) Inventory Level; Monthly Inventory Comparison (in SU)

2) Total Revenue ; 3) Production Volume

Total Revenue Comparison $\left.\begin{array}{l}90 \\ 80 \\ 70 \\ 60 \\ 50 \\ 40 \\ 30 \\ 20 \\ 10 \\ 0\end{array}\right]$


* The results shown are modified by a constant.
Monthly Production Comparison (in SU)


